













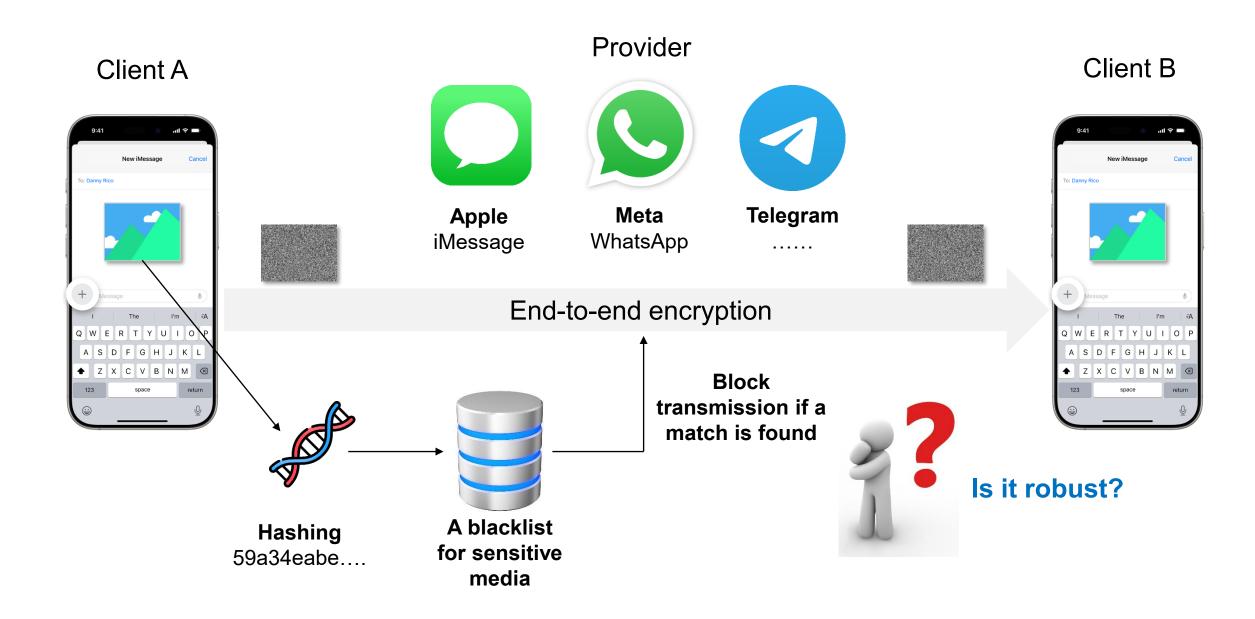
Atkscopes: Multiresolution Adversarial Perturbation as a Unified Attack on Perceptual Hashing and Beyond

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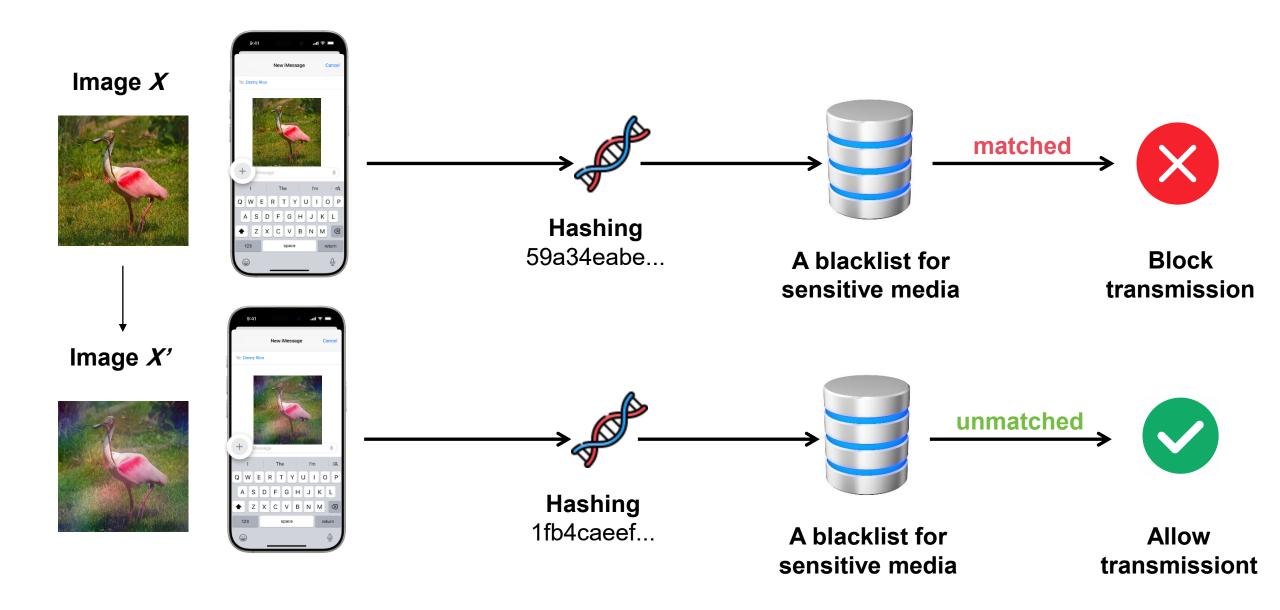
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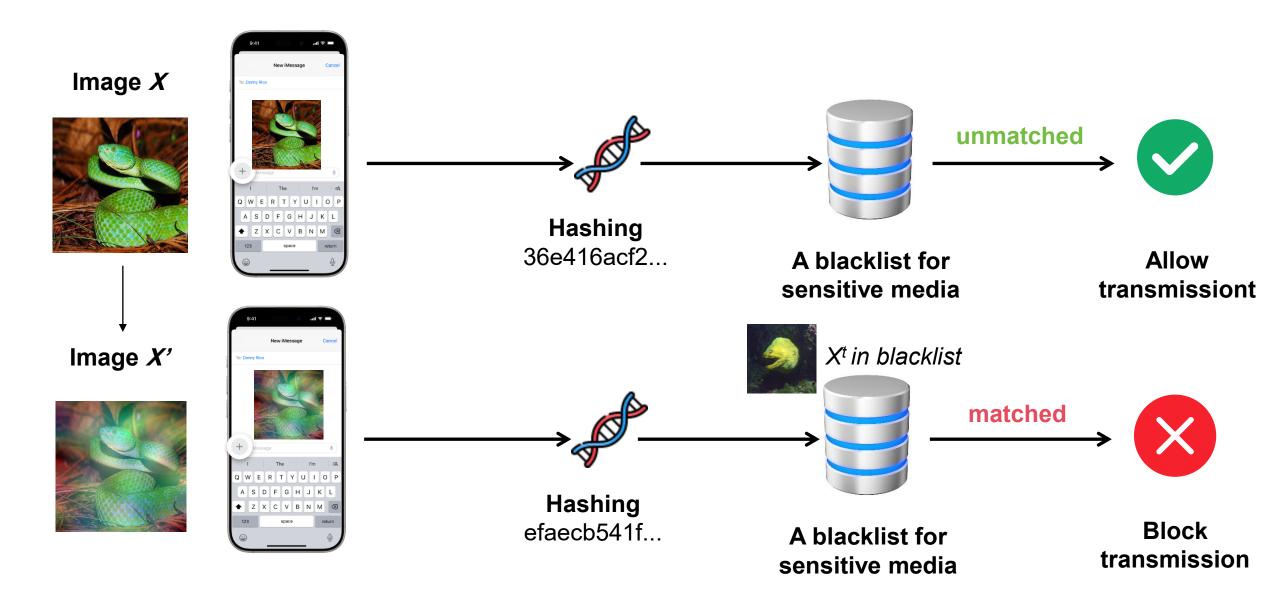
Privacy v.s. Regulation



Case 1: Escaping Regulation Attack



Case 2: Triggering Regulation Attack



Atkscopes: Multiresolution Adversarial Perturbation

Definition 1. (*Multiresolution perturbation*). The addition of multiresolution perturbation is defined as follows:

$$X'_{(x,y)\in D_{uvw}} = \mathcal{F}^{-1}\left(\mathcal{F}(X) + \delta\right),\tag{3}$$

with notations of

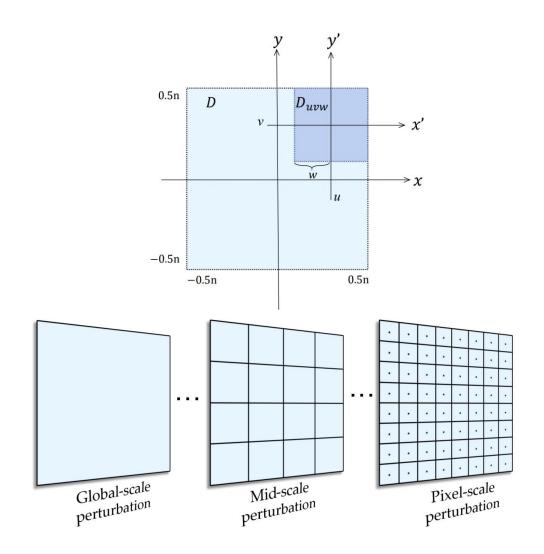
$$\mathcal{F}(X) = \langle X, V_{nm}^{uvw} \rangle = \iint_D (V_{nm}^{uvw}(x, y))^* X(x, y) dx dy, \quad (4)$$

and

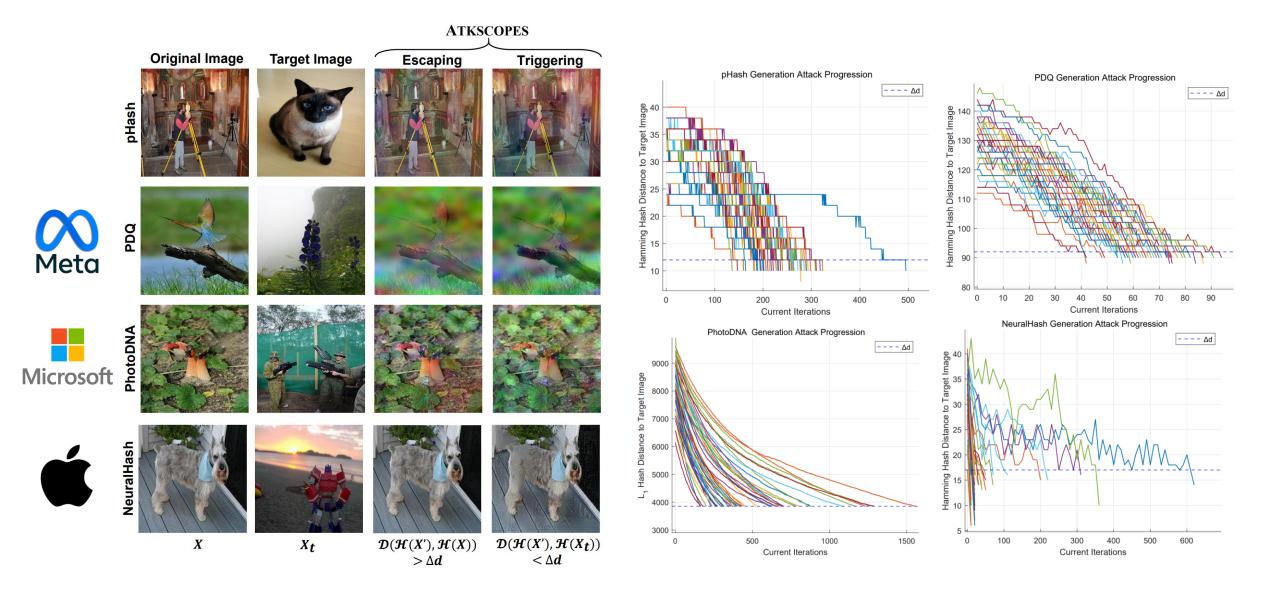
$$\mathcal{F}^{-1}(\mathcal{F}(X)) = \sum_{n,m} V_{nm}^{uvw}(x,y)\mathcal{F}(X), \tag{5}$$

where \mathcal{F} denotes the local orthogonal transformation [39], with image X(x,y) on domain $(x,y) \in D$. The local orthogonal basis function V_{nm}^{uvw} is defined on the domain D_{uvw} with the order parameters $(n,m) \in \mathbb{Z}^2$, converting D to D_{uvw} by the translation offset (u,v) and the scaling factor w, as illustrated in Figure 2. Note that the local orthogonal basis function V_{nm}^{uvw} can be defined from any global orthogonal basis function V_{nm} , e.g., a family of harmonic functions, with following form:

$$V_{nm}^{uvw}(x,y) = V_{nm}(x',y') = V_{nm}(\frac{x-u}{w}, \frac{y-v}{w}).$$
 (6)



Uniform, Fast, and Successful Attacks



Q&A